



# Evaluation of a Monte Carlo-based validation technique for data assimilated air quality assessments

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# Outline

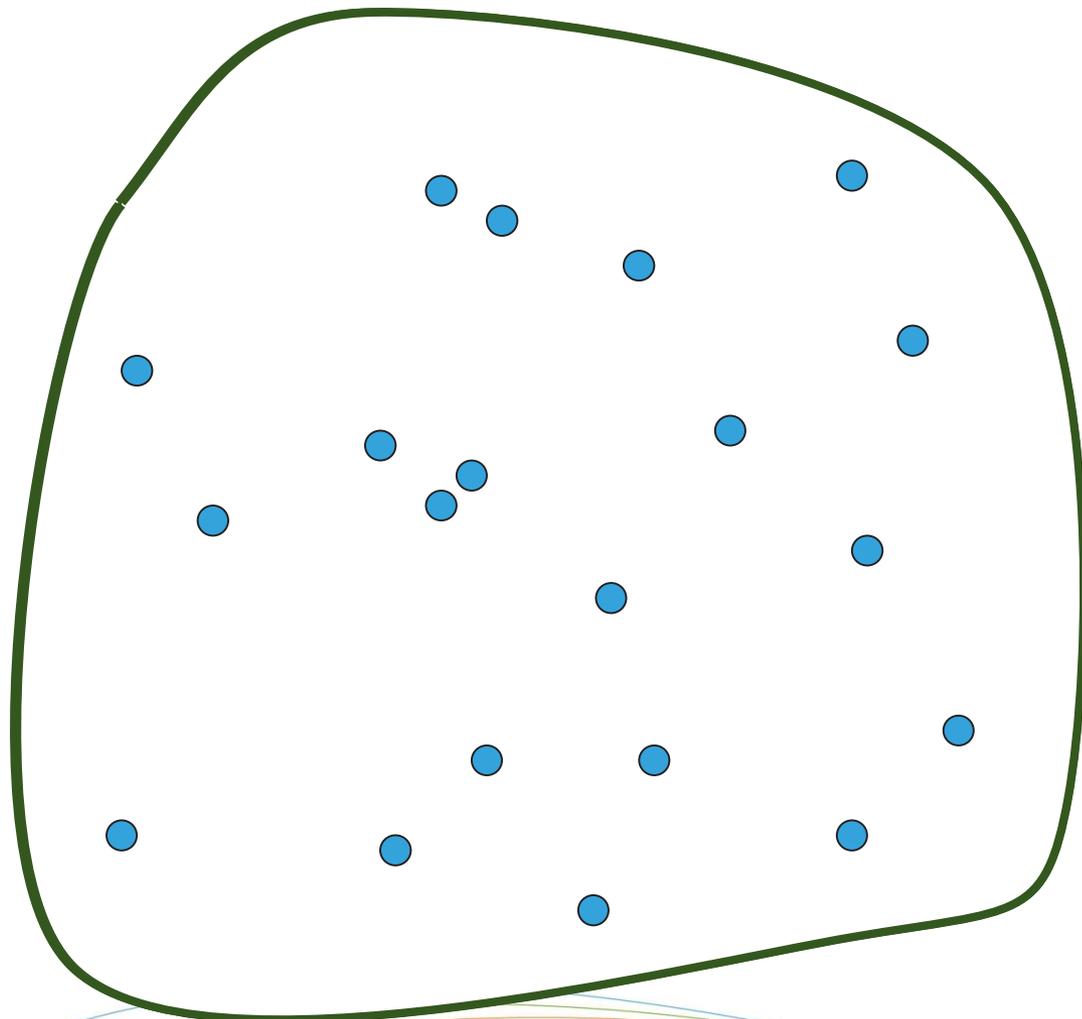
- » Validation of data-assimilated models
- » Proposed Monte Carlo methodology
- » 3 independent evaluations (INERIS, UAVR, VITO)
- » Conclusions

# Validation of data assimilated models

- » AQD suggests integrated use of modelling & measurements for assessment
- » Wide range of techniques : online vs. offline, kriging, optimal interpolation, 3DVar, 4DVar, etc..
- » Validation usually :
  - » Leave one out & compare : criticized as not independent enough
  - » Leave n out & compare : how to perform selection of subset ?
- » Idea ! use **Monte Carlo** technique to leave n out

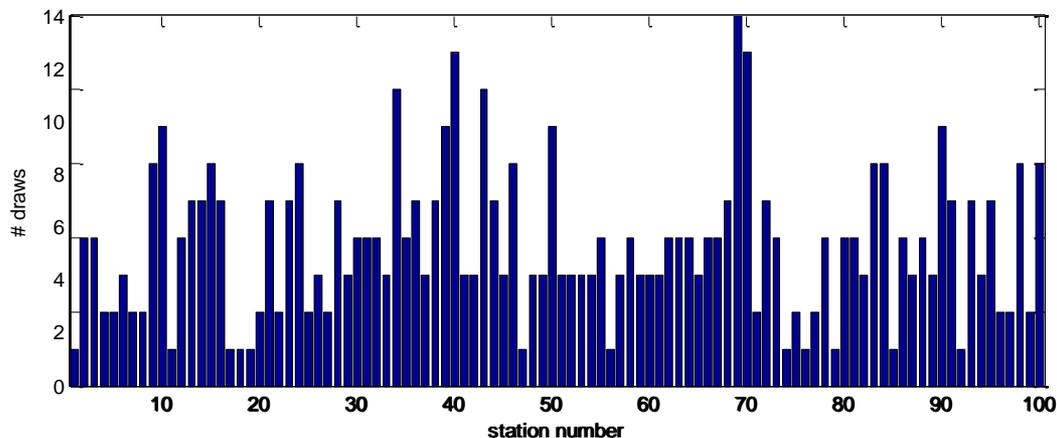
# Proposed Monte Carlo methodology

- » Claudio Carnevale (Uni. Brescia):
- » Select 20% of the stations for validation
- » Do it until every stations is selected at least once
- » For most of the station you have more than one modelled time series
- » Take the worst case (based on RMSE) for the final evaluation



# Monte Carlo distribution

- » Depending on chance some stations are selected 1 times, some > 10 times



- » Preliminary consideration:

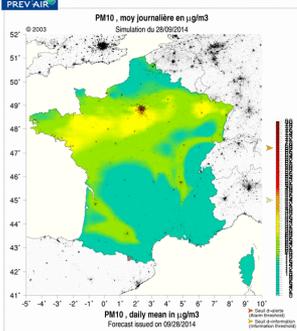
- » How sensitive are results to  $n_{\min} = 1$ ? Alternatives?
- » Which time series to select final validation? Worst case?

# Methodology implementation/tests

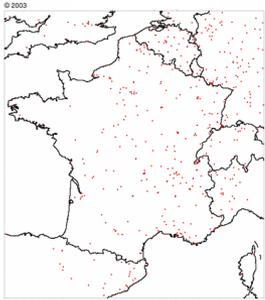
- » 3 independent tests:
  - » CHIMERE + Kriging (INERIS, L. Malherbe)
  - » EURAD + bias correction (Uni. Aveiro, A. Monteiro)
  - » RIO detrended kriging (VITO, B. Maiheu )

# Application : CHIMERE

- Meteorology
- Emissions
- Landuse
- Boundary conditions



D-1, 27 September 2014,  
daily mean  
0.1° x 0.15°

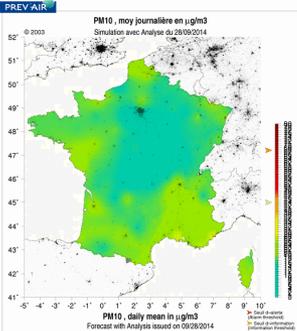


Monitoring data (France + Europe)



Combination of background observations with CHIMERE data

Geostatistical approach:  
external drift kriging



Analysed map  
D-1, 27 September 2014, daily mean

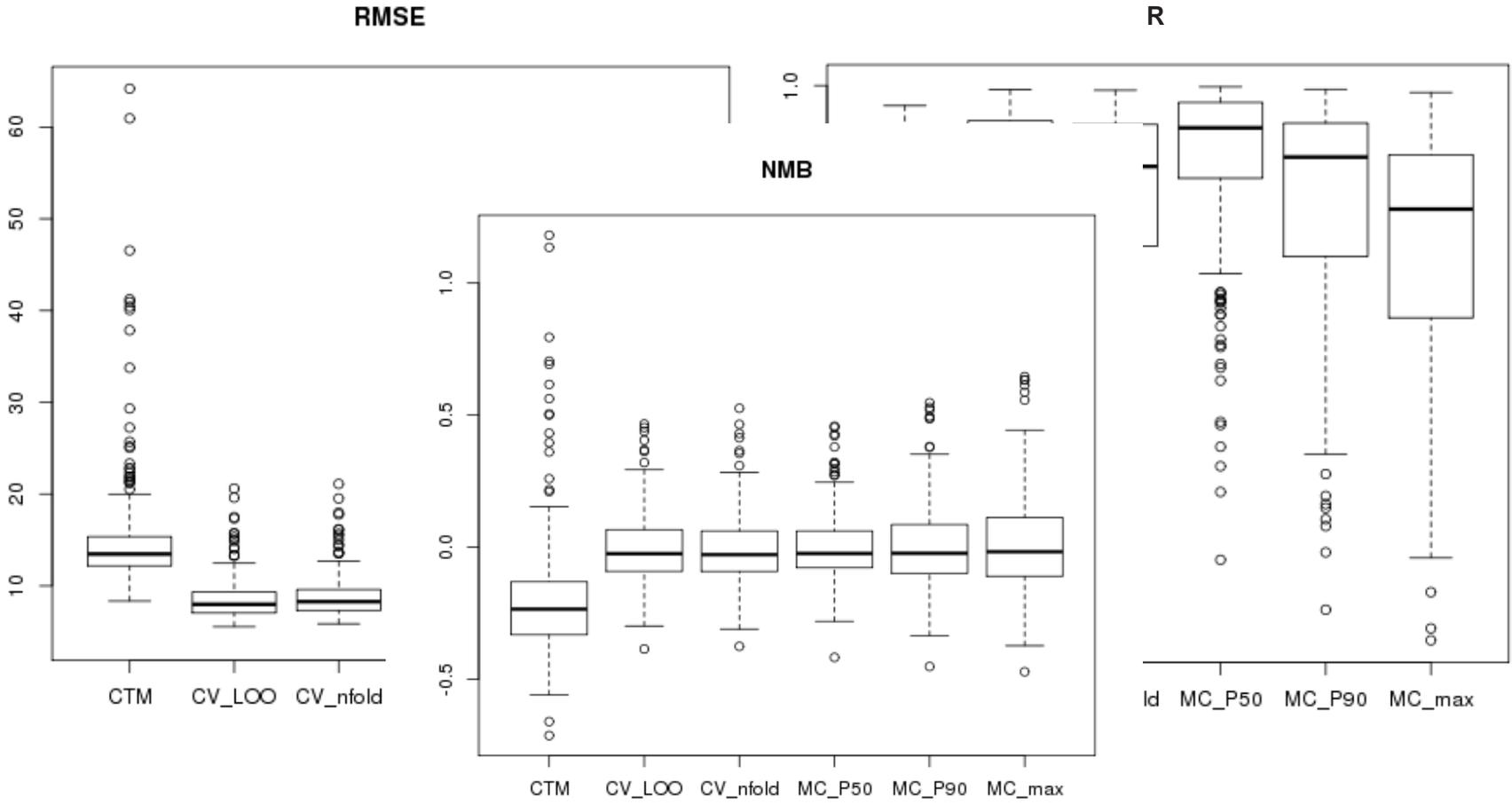
The kriging is done for each hour (input data: hourly values) or each day (input data: average daily values).

It is implemented with R: *RGeostats* (Renard, 2010) and *gstat* (Pebesma, 2004) packages.

# Application : CHIMERE + Kriging

- » The methodology has been tested for:
  - » the French domain,
  - » **PM<sub>10</sub>**,
  - » the whole year **2012**, on an **hourly** basis.
- » Input data:
  - » hourly time series of PM<sub>10</sub> concentrations measured at rural and suburban or urban background stations in France and surrounding countries (source: French national AQ database and Airbase v8)
  - » hourly time series simulated by CHIMERE CTM with a spatial resolution of approximately 4km
- » Monte-Carlo parameters:
  - » **20% of stations removed for validation** at each random selection (function *sample* of R)
  - » Number *n* of random selections: ***n* = 200**, ***n* = 300**, and ***n* = 500**
  - » **Selection** of Monte Carlo member based on Max, P90, P50 (RMSE based)

# Validation comparison



# Application : UAVR

## » A bias correction data fusion technique

### STEP 1. RAT04

a **multiplicative ratio** correction with 4 days (for each station)

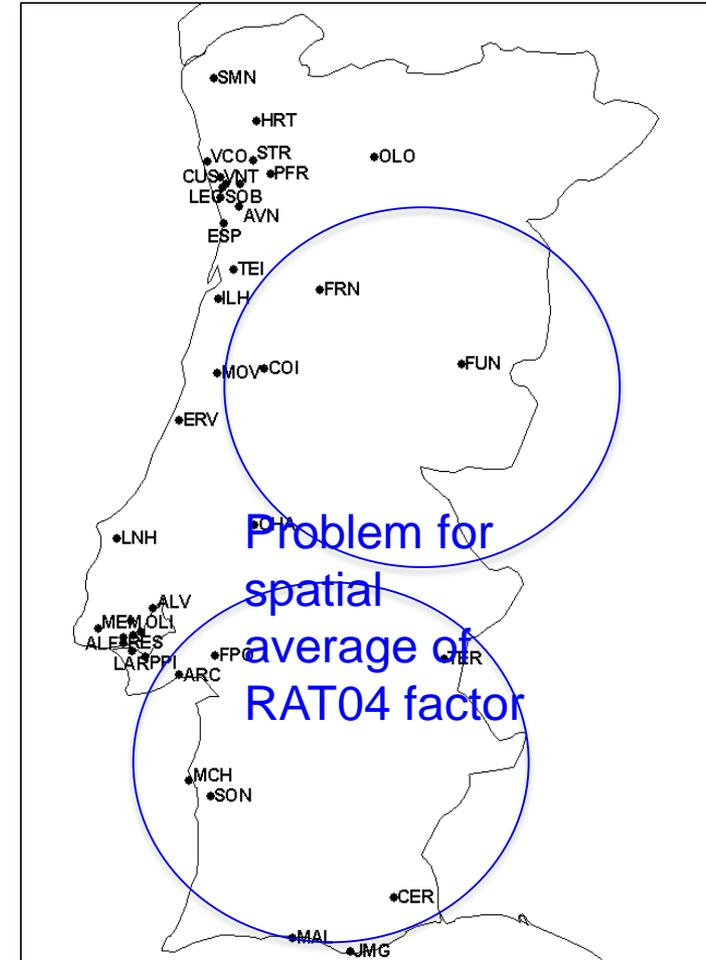
$$C^{corrected}(h, day) = \frac{\sum_{ndays} C^{obs}(h, day)}{\sum_{ndays} C^{model}(h, day)} \times C^{model}(h, day)$$

### STEP 2. **Spatial** approach

Calculate the RAT04 average factor (per hour) and apply it to all grid cells

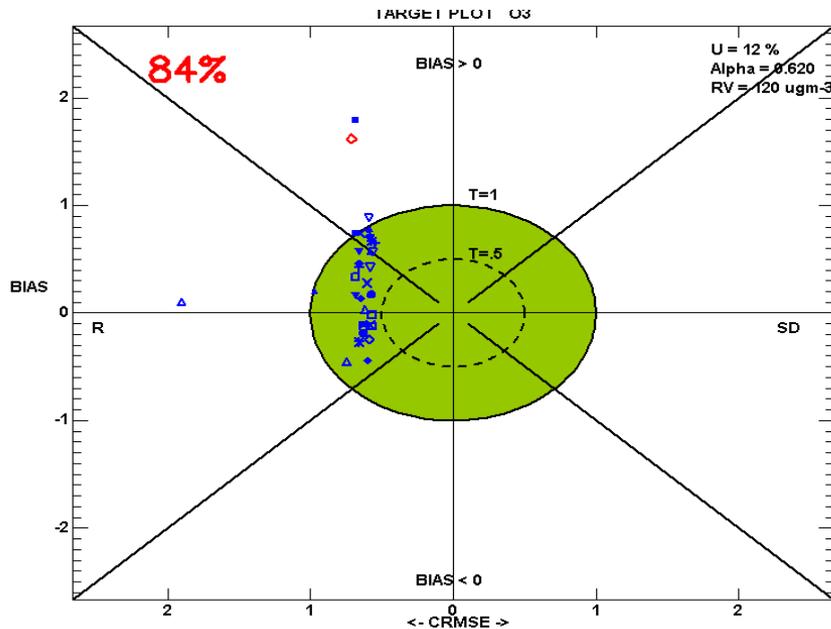
# Case study : modeling setup

- » 39 stations in Portugal
- » Model : EURAD, 5x5 km<sup>2</sup> resolution
- » Year : 2005
- » O<sub>3</sub>

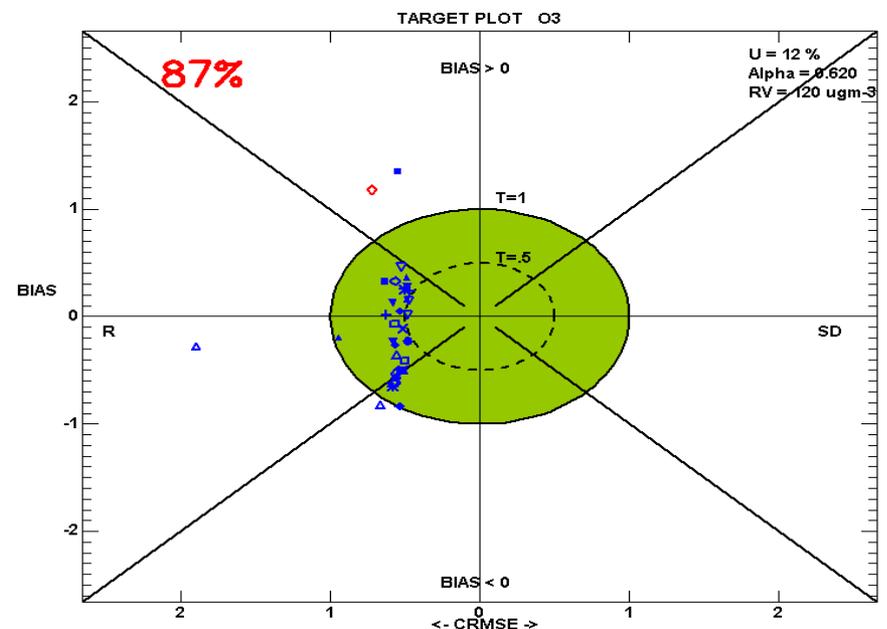


# Results UAVR

## BEFORE RAT04

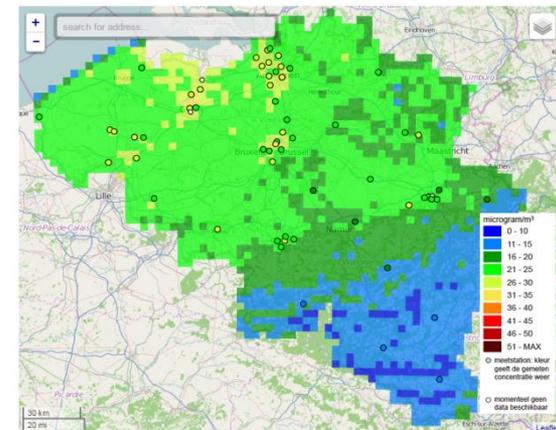
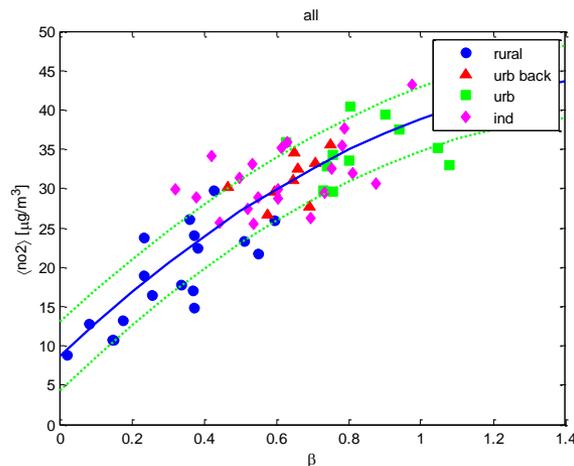


## AFTER RAT04 and Monte Carlo approach



# The RIO model in 1 slide

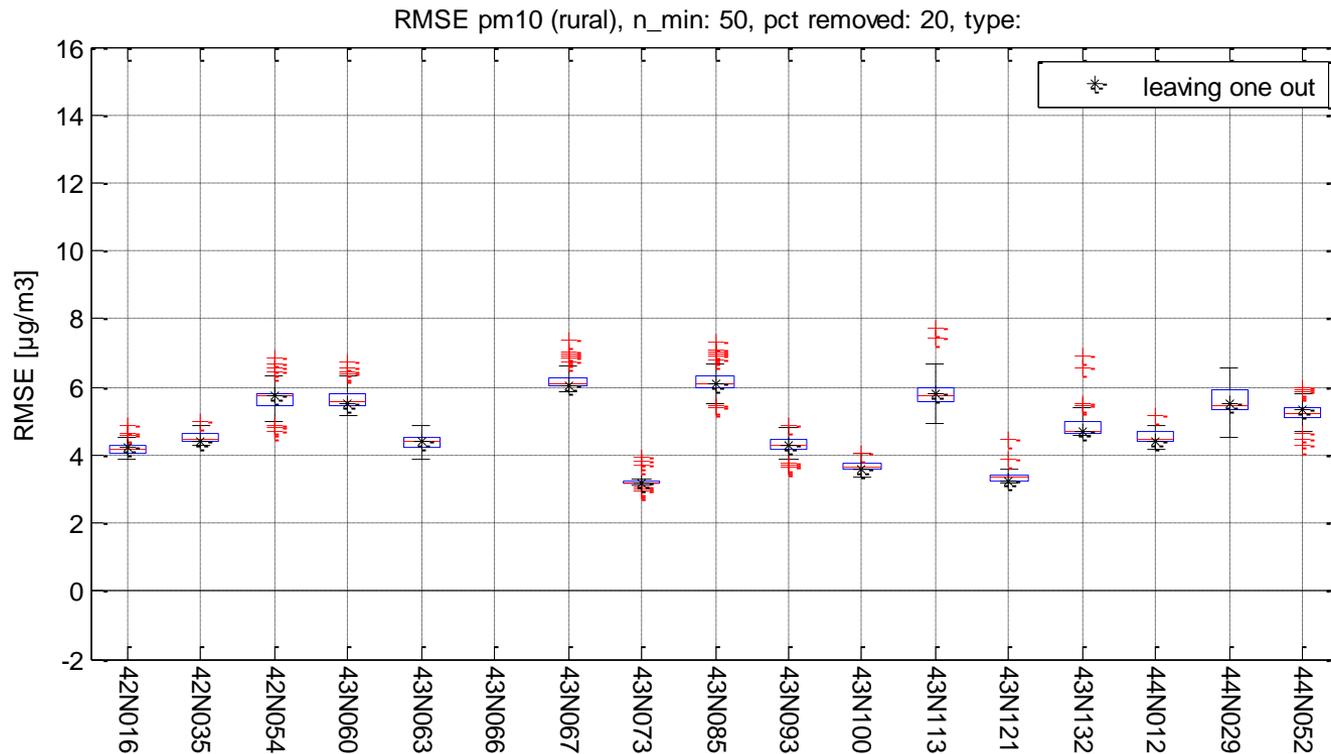
- » Detrended Kriging interpolation model
- » Spatial trend captured by trendfunctions expressed vs. land use regression parameter  $\beta$  (CORINE).
  - » per hour of the day, week/weekend



- » Operational mapping model in Belgium (IRCELINE) & Netherlands (RIVM)

# RIO Monte Carlo Validation

## RMSE – rural vs. n\_min

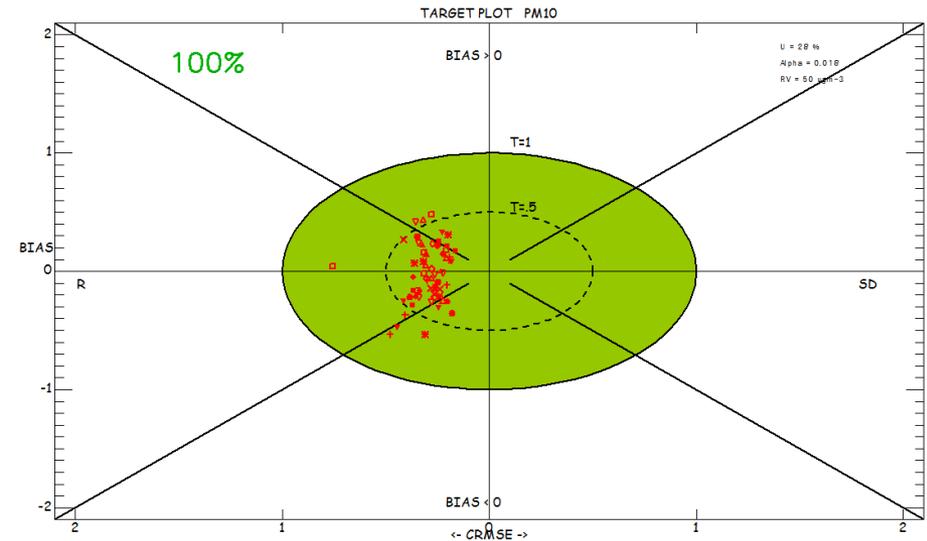
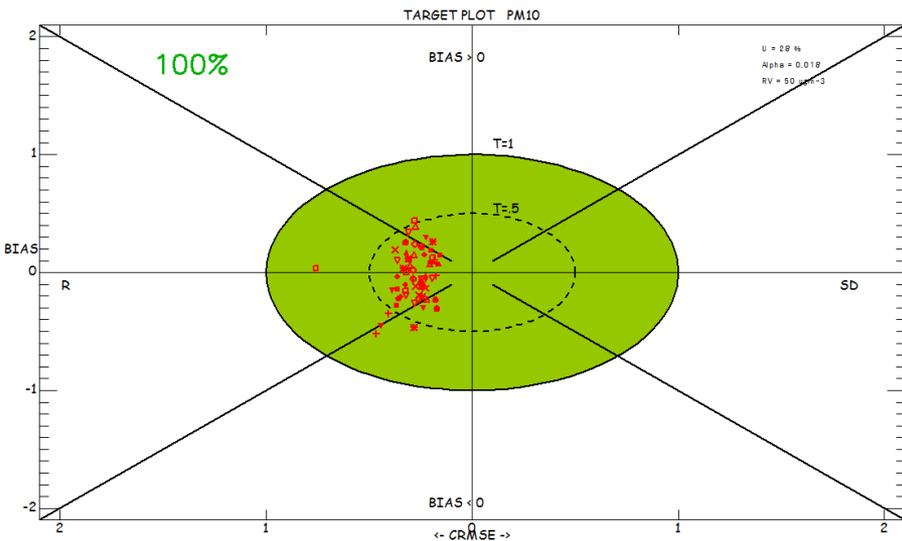


# Comparison with LOO

» PM10 daily averages 2009

Leave one out

MC method - worst RMSE, n\_min=1



▲ 40AB01	× 400B02	■ 41W0L1	▼ 42R011	▼ 43N067	Site: end Ind: 1-0760 Model (s): LEAVEOUT Parameter: PM10 Year: 2009 Extra Values: No Season: Year Day Hours: All 24h Time Average: Preserved Daily stats: Mean
▲ 40AB02	× 40R0L1	× 42M002	▼ 42R015	▼ 43N070	
▲ 40AL01	▲ 40S0A04	▼ 42N016	▼ 42R031	▼ 43N073	
● 40AL02	▼ 40S2O02	● 42N035	▲ 42R034	■ 43N099	
▲ 40AL05	▼ 41B011	▲ 42N045	▲ 42R041	× 43N093	
▲ 40BK06	▲ 41MEU1	▼ 42N054	▲ 42M2O1	● 43N100	
▼ 40KB23	▼ 41H043	▼ 42R020	▼ 43M2O4	▲ 43N113	
▲ 40NR01	▼ 41R001	▼ 42R001	▼ 43N060	▲ 43N121	
▲ 40OS01	▲ 41R012	▼ 42R002	▼ 43N063	▼ 43N132	

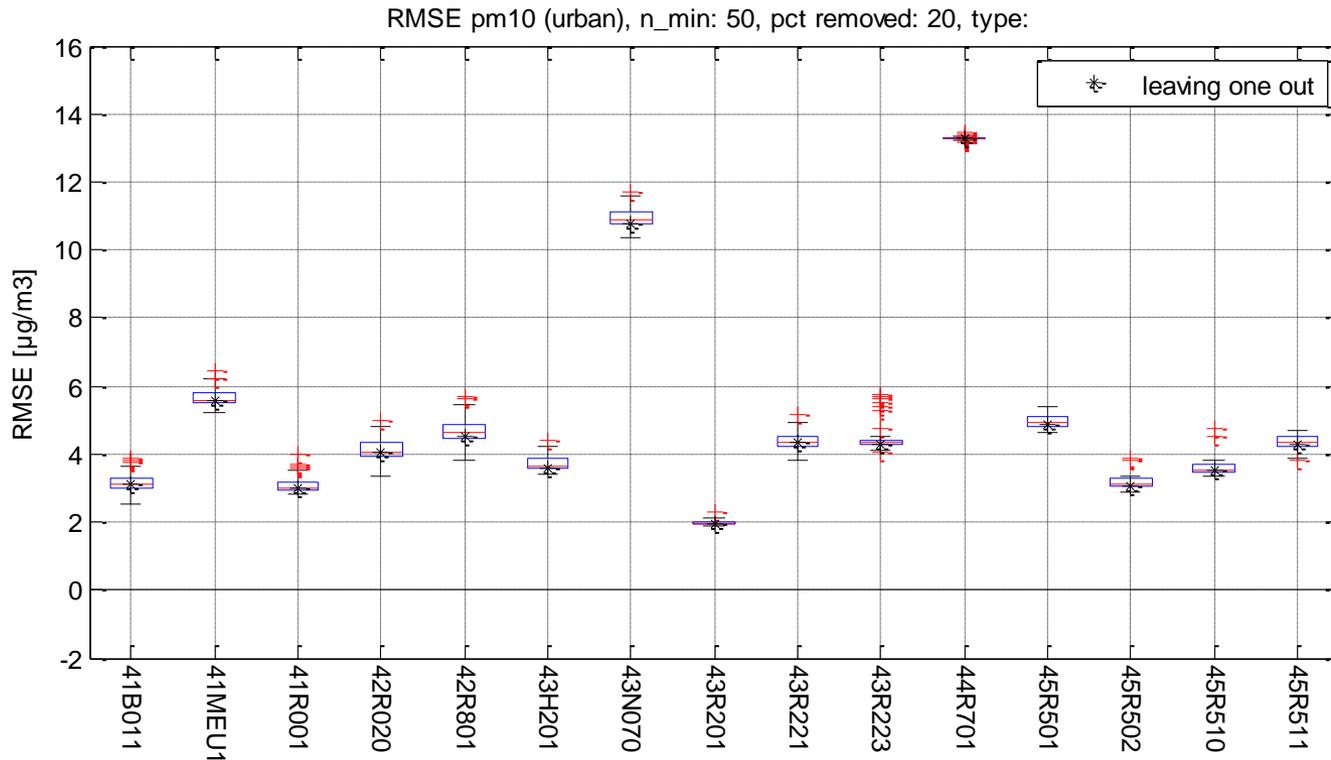
▲ 40AB01	× 400B02	■ 41W0L1	▼ 42R011	▼ 43N067	Site: end Ind: 1-0760 Model (s): MC/MAX Parameter: PM10 Year: 2009 Extra Values: No Season: Year Day Hours: All 24h Time Average: Preserved Daily stats: Mean
▲ 40AB02	× 40R0L1	× 42M002	▼ 42R015	▼ 43N070	
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▲ 40OS01	▲ 41R012	▼ 42R002	▼ 43N063	▼ 43N132	

# General conclusions

- » Rather significant effort to implement the Monte Carlo approach
- » Still some points to clear out:
  - » Is the selection of the worst RMSE the best way?
  - »  $n_{min} = 1$  → introduces randomness in the validation (especially when selecting the worst RMSE).
  - » Checks needed for different pollutants, different situations
- » Leaving-one-out is much easier to implement and seems to give similar results
- » What about validation of more complex data assimilation schemes (Ens. Kalman filter, 4DVAR...)

# RIO Monte Carlo Validation

## RMSE – urban vs. n\_min



# Methodology output

Date	Obs	CTM	CV_LOO	CV_Nfold	MC_P50	MC_P90	MC_max
2012010101	15	7.6	20.0	24.0	20.0	27.1	33.1
2012010101	12	7.9	16.0	23.2	18.8	20.8	22.5
...	...	...	...	...	...	...	...
2013010100	...	...	...	...	...	...	...

<b>Obs</b>	<b>Measured value</b>	
CTM	CHIMERE (interpolation at the station)	
CV_LOO	Leave-one-out cross-validation	
CV_Nfold	5-fold cross-validation	
MC_P50	Monte-Carlo validation, estimated value corresponding to the median square error	added for comparison
MC_P90	Monte-Carlo validation, estimated value corresponding to the 90th percentile of the square error	added for comparison
MC_max	Monte-Carlo validation, estimated value with maximum square error (worst case)	

# Conclusions INERIS

- » No significant difference according to the number of subset selections (n=200, n=300, n=500)
- » In the present tests, performance criteria were satisfied. However, could the « worst case » be too penalizing? Consider a high percentile of the error instead of the maximum?
- » The implementation requires attention but does not pose any particular problem
- » The added value of the Monte-Carlo approach in relation to the usual leave-one-out or n-fold cross-validation will be further examined.

# Conclusions UAVR

- » Very exhaustive methodology (mainly when the data fusion technique do not bring significant improvements)
- » Only operational/automated is feasible
- » A group of Matlab/Python programs was developed by UAVR and can be available for FAIRMODE community
- » Maximum RMSE per station or per iteration (re-analysis) should be reviewed
- » Results still need a deep analysis: too “fresh”!!

# Conclusions VITO

- » Monte Carlo method seems to be quite robust for RIO w.r.t. leaving-one-out (at least for  $PM_{10}$ )... at first sight.
  - » Clustering of stations in urban area's
  - »  $PM_{10}$  more regional pollutant → rural stations
- » Look at other pollutants ( $NO_2$ ,  $O_3$ ) to confirm/reject
- » Monte Carlo method not always yield worse statistics when looking at median
- » Using worst RMSE is sensitive to  $N_{min}$ 
  - » Need to check what is happening with the distributions : increase in outliers
- » **A the moment** : using daily averages
  - » Computation time could become issue (for a “simple validation”)