

PM_{2.5} predictions for urban monitoring sites in Budapest using statistical fusion of CAMS air quality models

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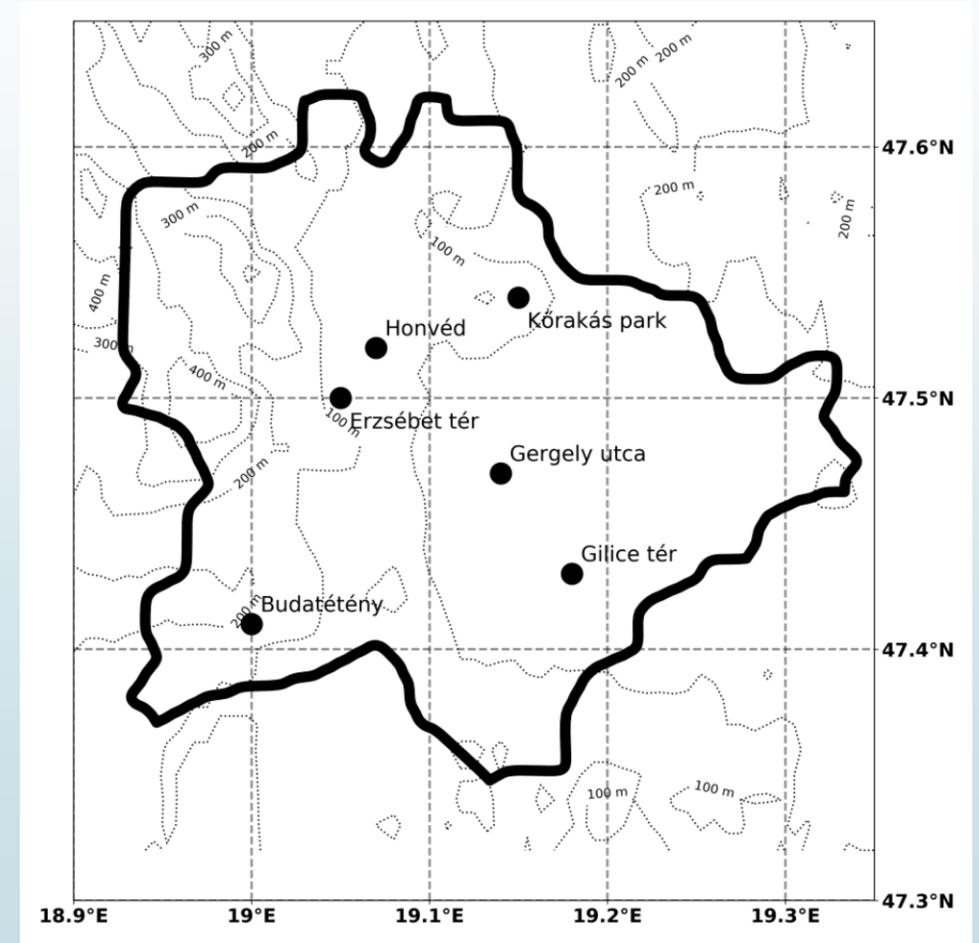
Study area and data

► Budapest



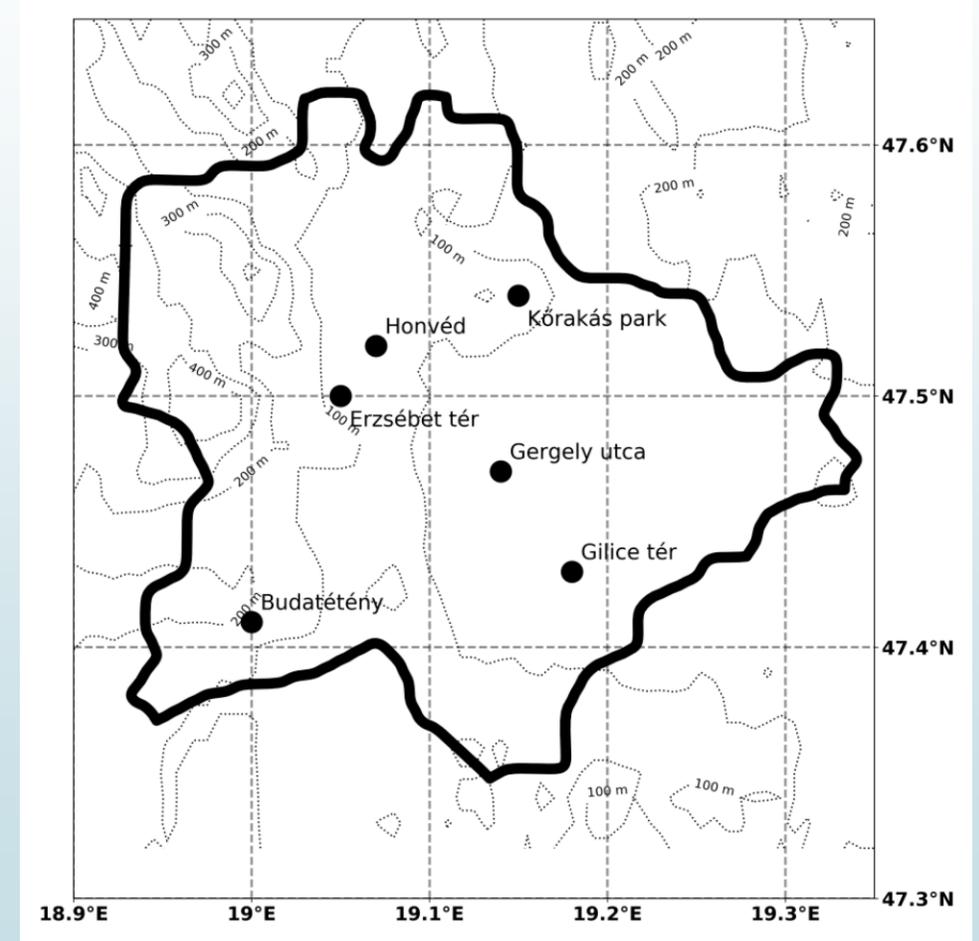
Study area and data

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- Hungarian Air Quality Network



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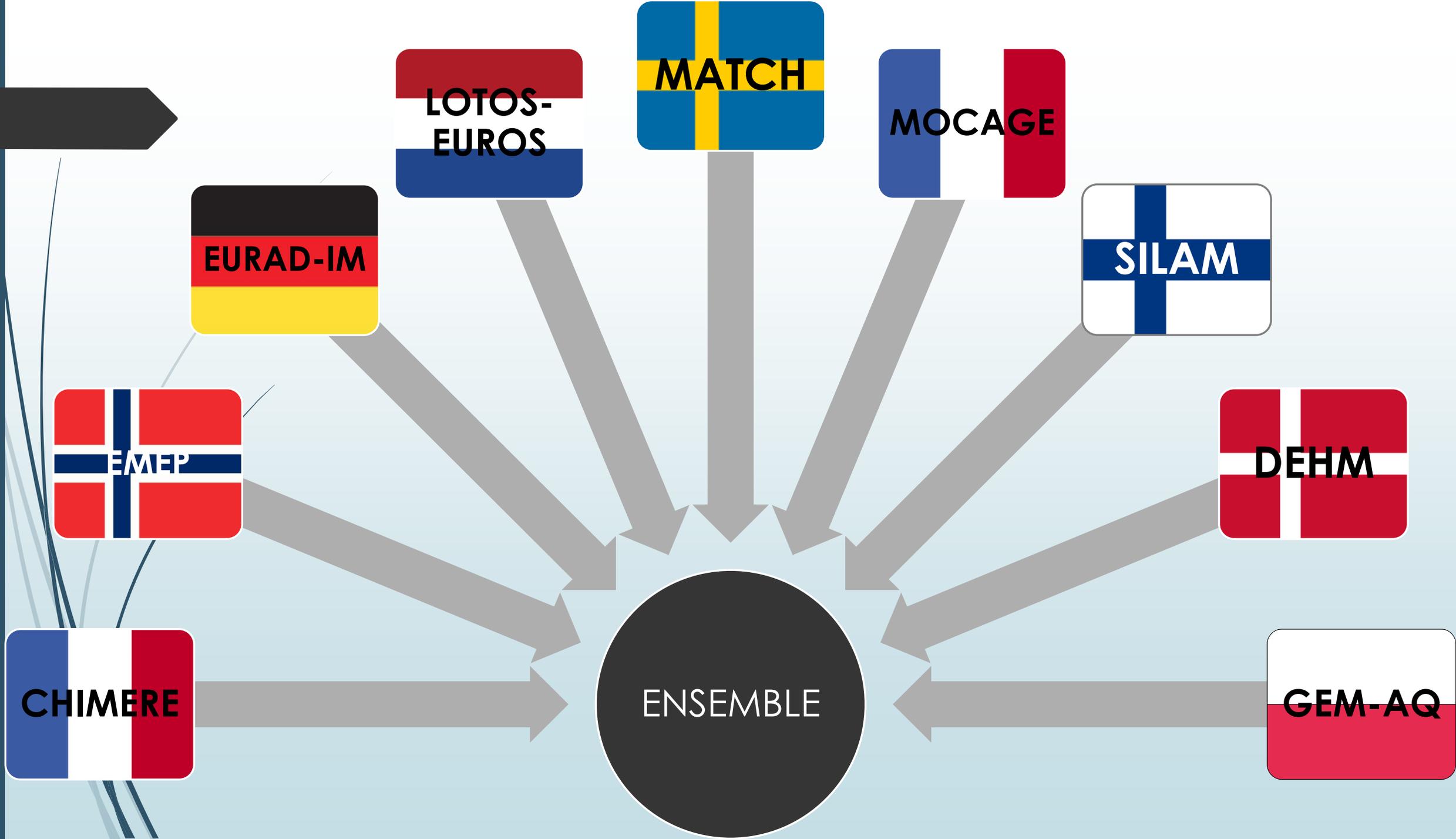
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- Hungarian Air Quality Network
 - 6 stations





Study area and data

- ▶ Budapest
- ▶ Hungarian Air Quality Network
 - ▶ 6 stations
- ▶ Copernicus Atmosphere Monitoring Service (CAMS) numerical air quality models





Study area and data

- ▶ Budapest
- ▶ Hungarian Air Quality Network
 - ▶ 6 stations
- ▶ Copernicus Atmosphere Monitoring Service (CAMS) numerical air quality models
- ▶ Winters of 2018–19, 2019–20, 2020–21, 2021–22



Fusion method

- ▶ 5 of 6 measurement sites were taken into consideration for cross-validation
 - ▶ Model forecasts were fitted to the measurements
 - ▶ Optimal combination of models (simplified from Sofiev et al. 2017)

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- constant member and weights are fitted on a 10-day training period
- Model-weights were evaluated on the residual measuring site

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Method

- ▶ Uncorrected (original) model forecast

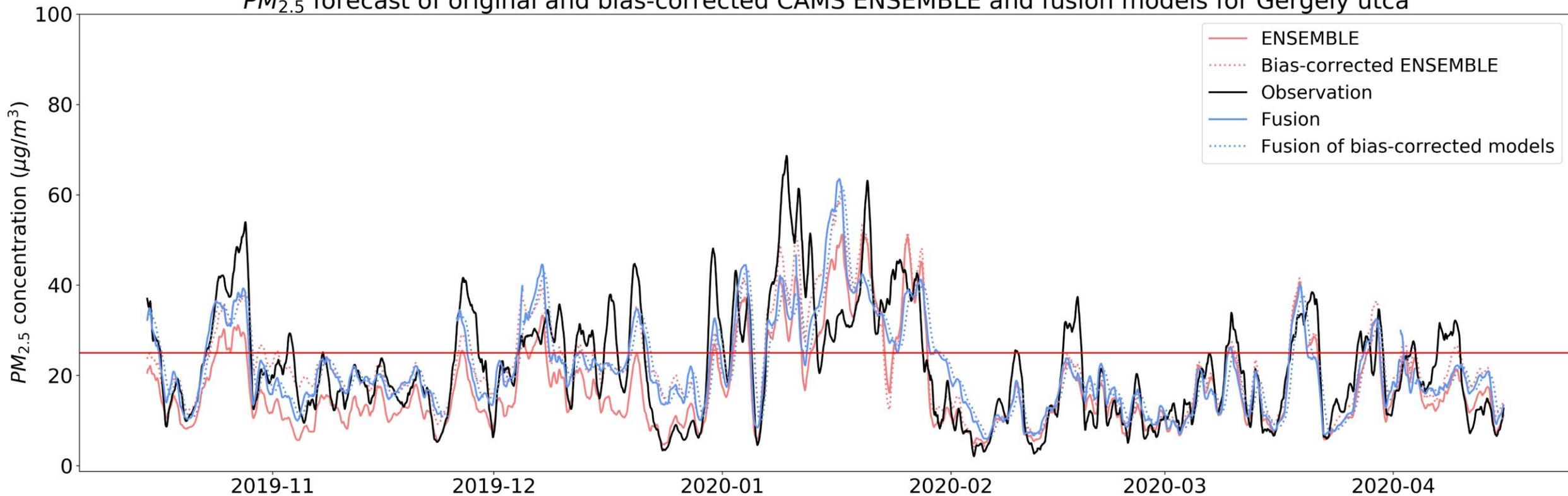
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Method

- ▶ Uncorrected (original) model forecast
- ▶ BIAS-corrected dataset
 - ▶ 10-day

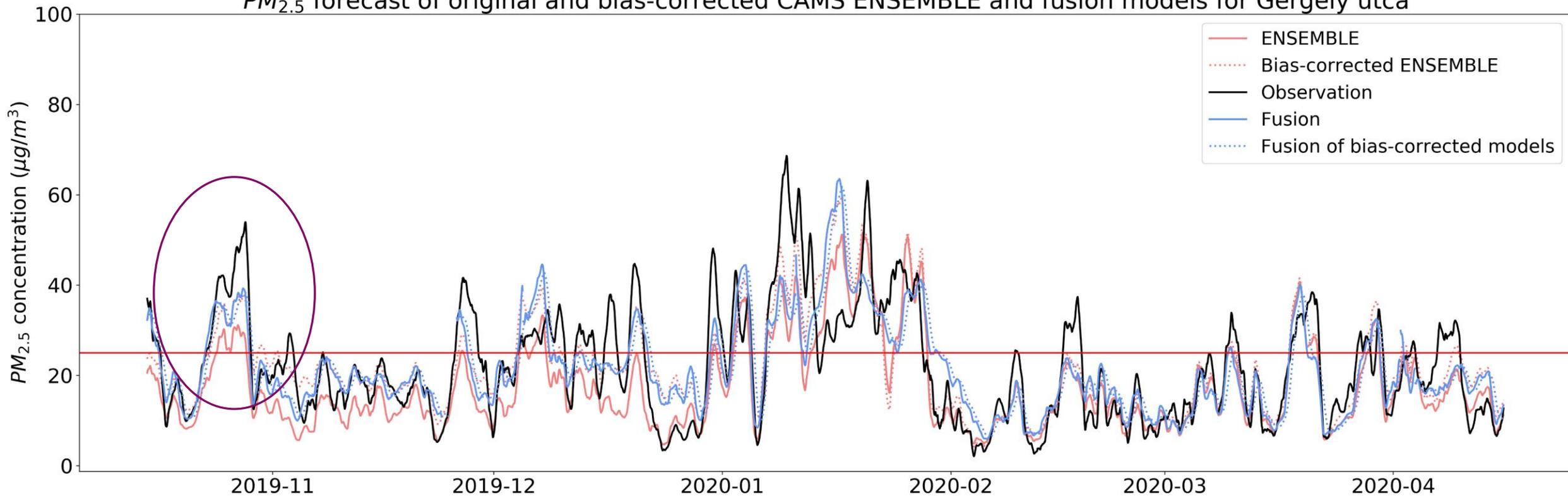
Results

$PM_{2.5}$ forecast of original and bias-corrected CAMS ENSEMBLE and fusion models for Gergely utca



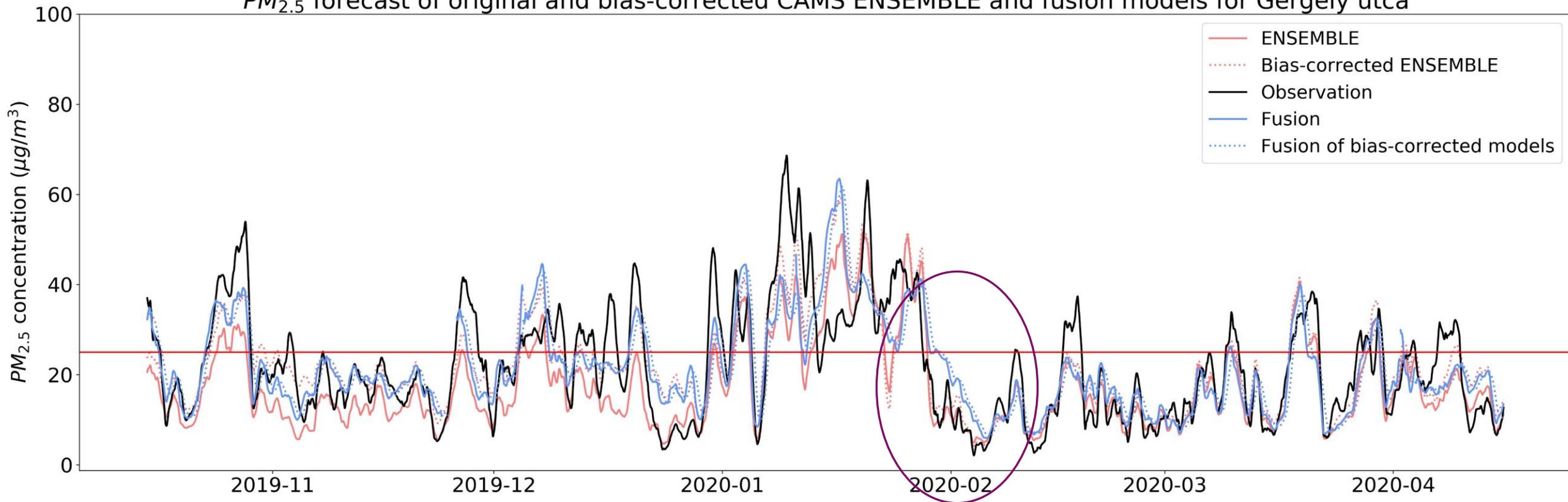
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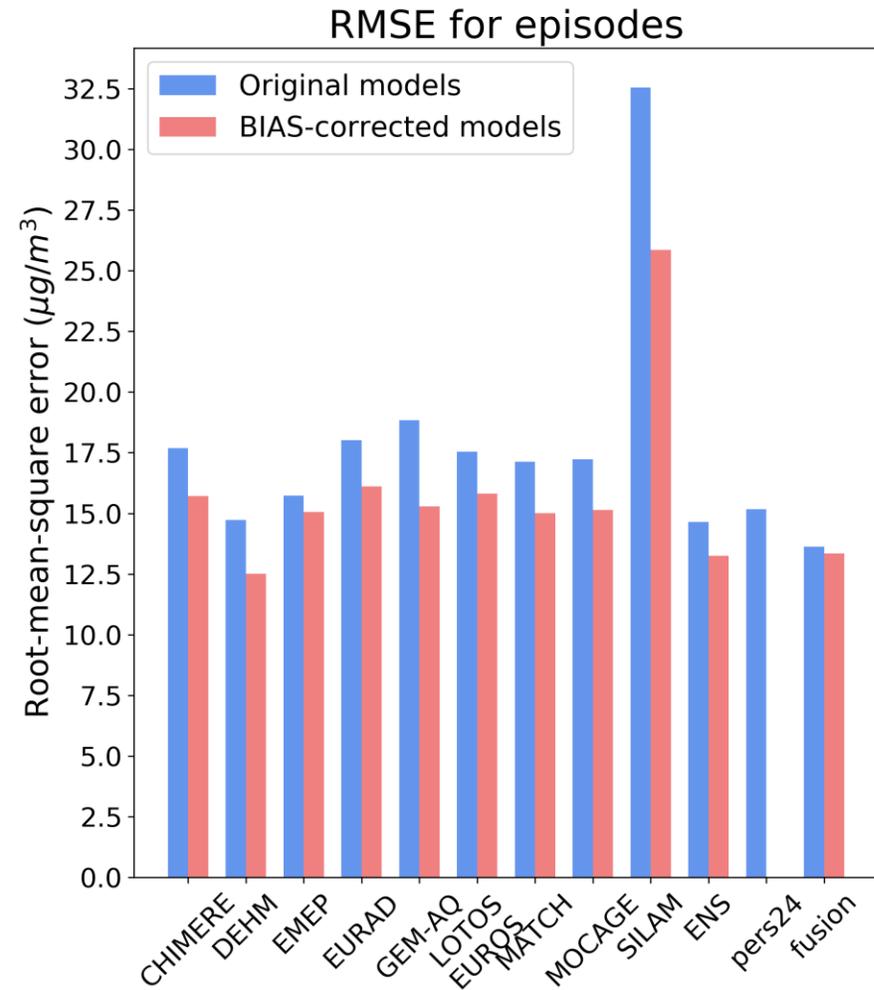
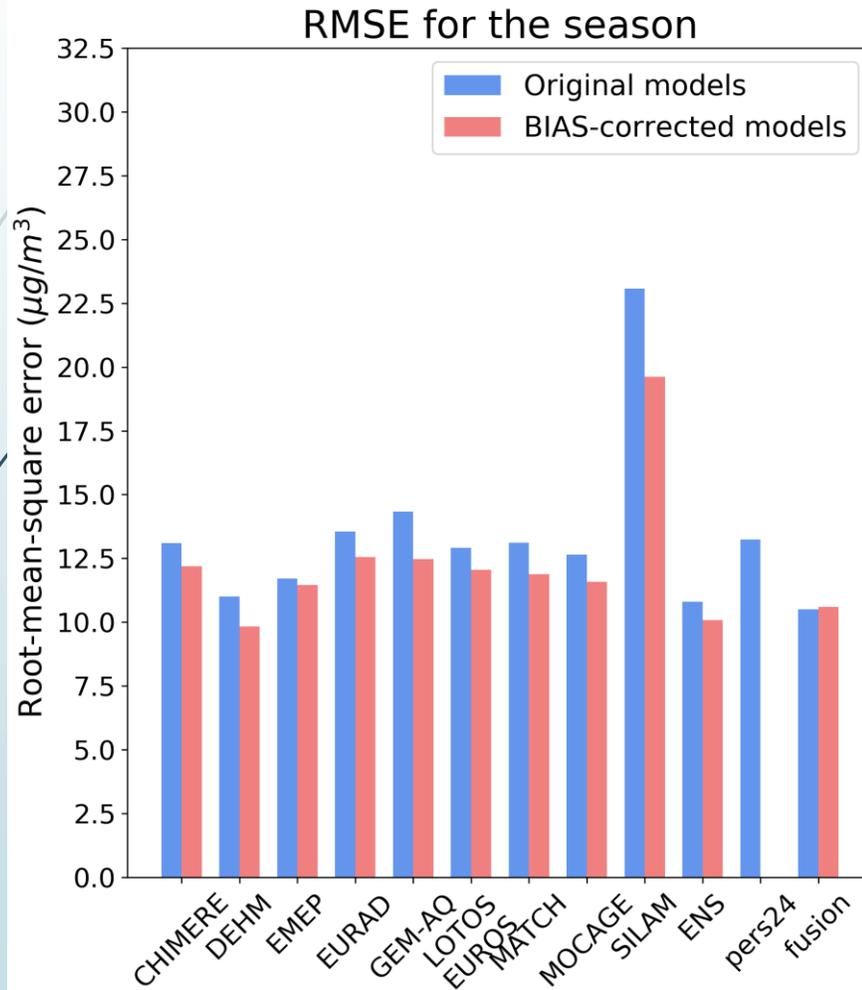


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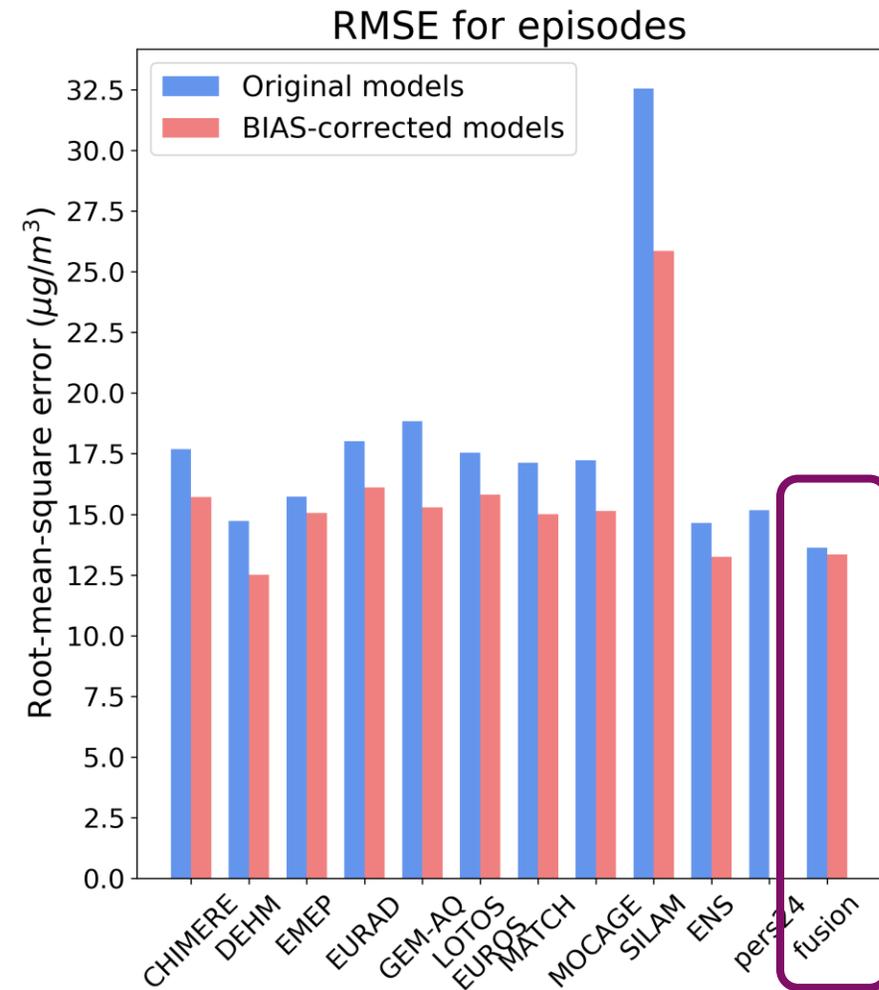
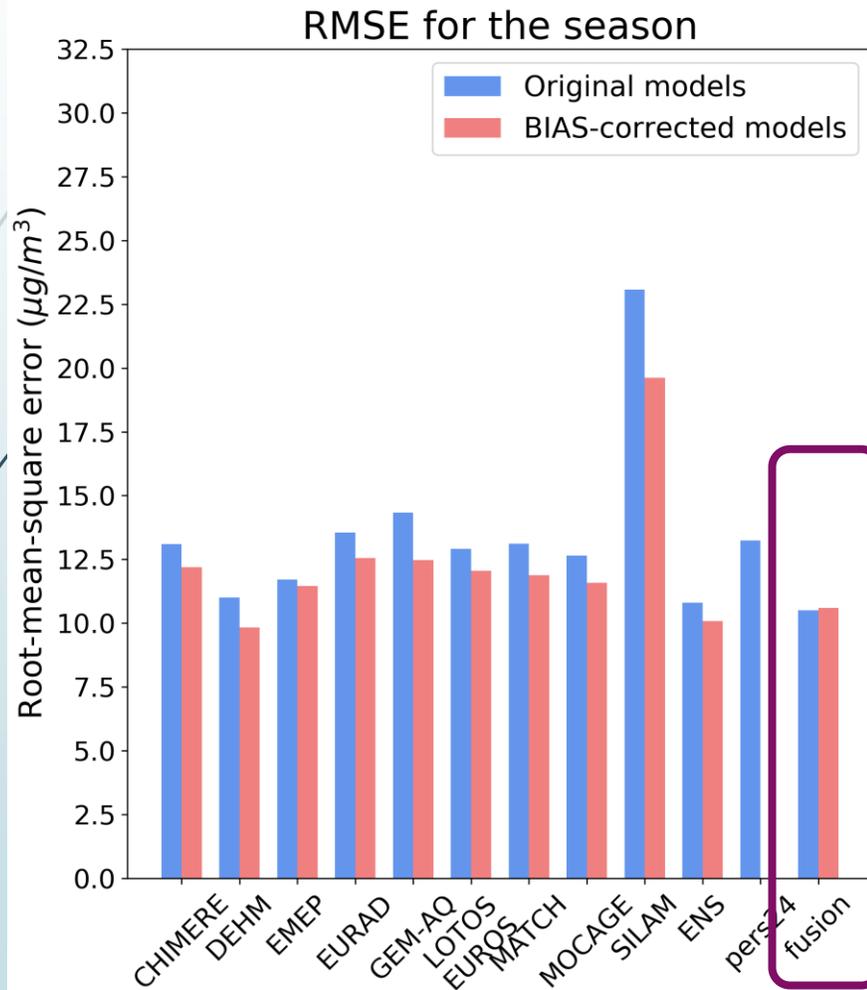
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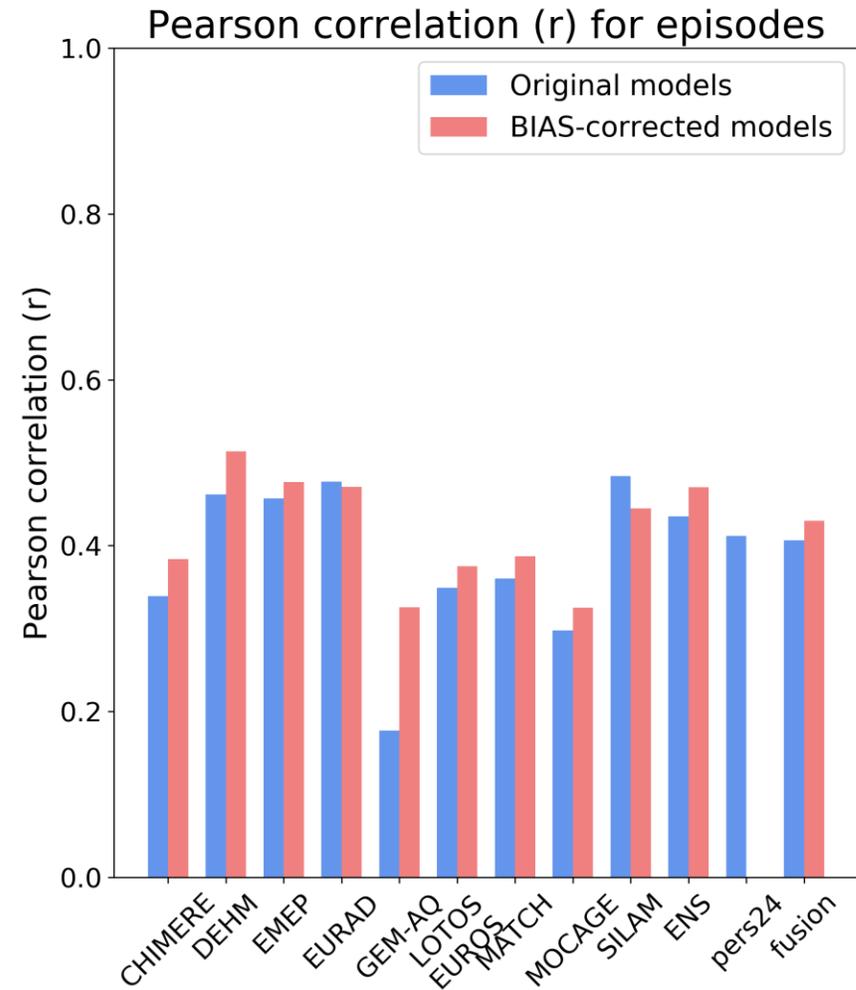
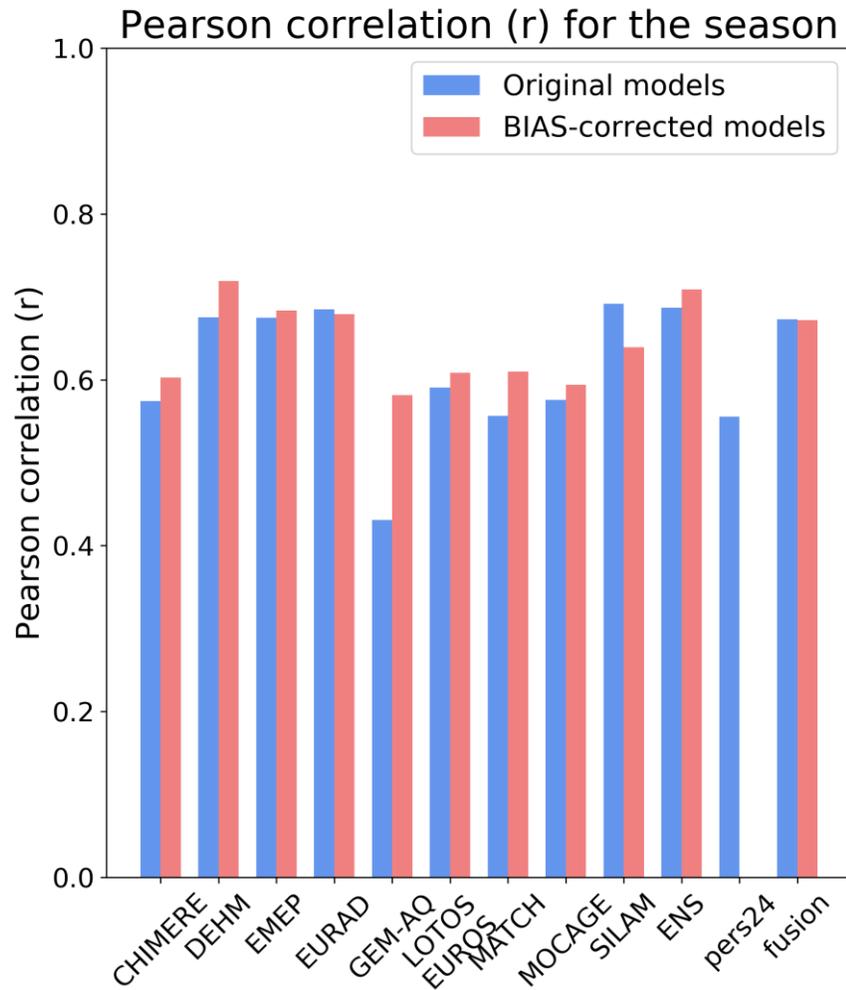
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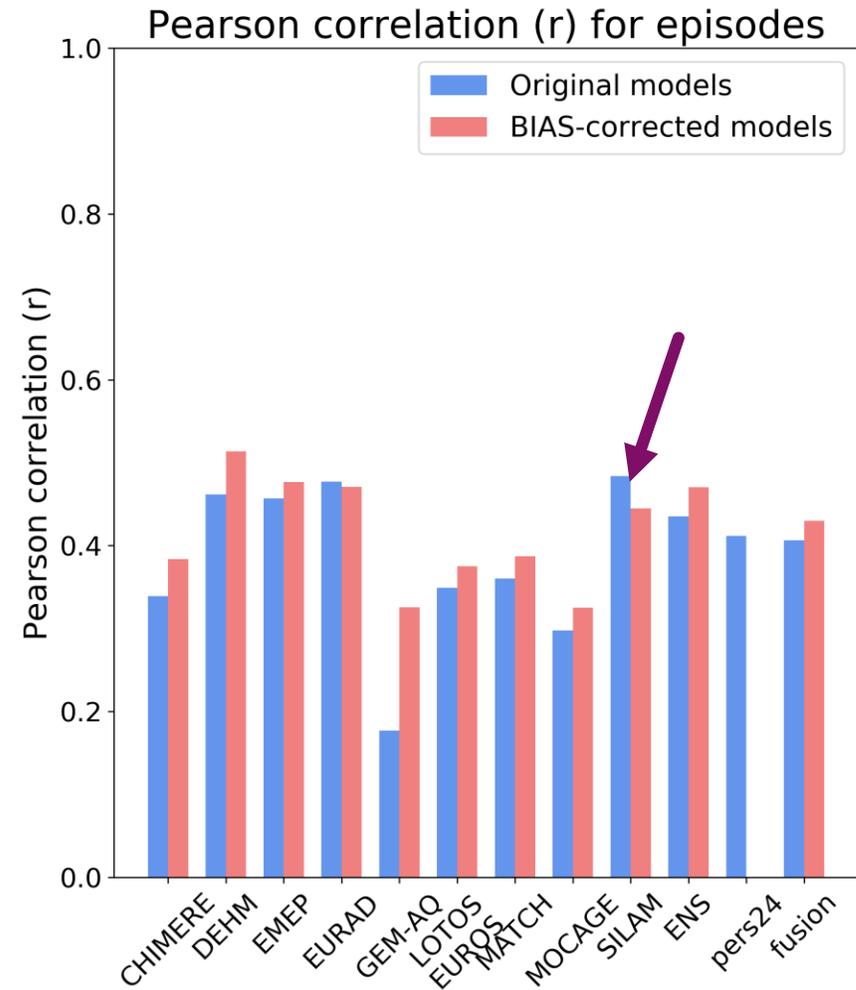
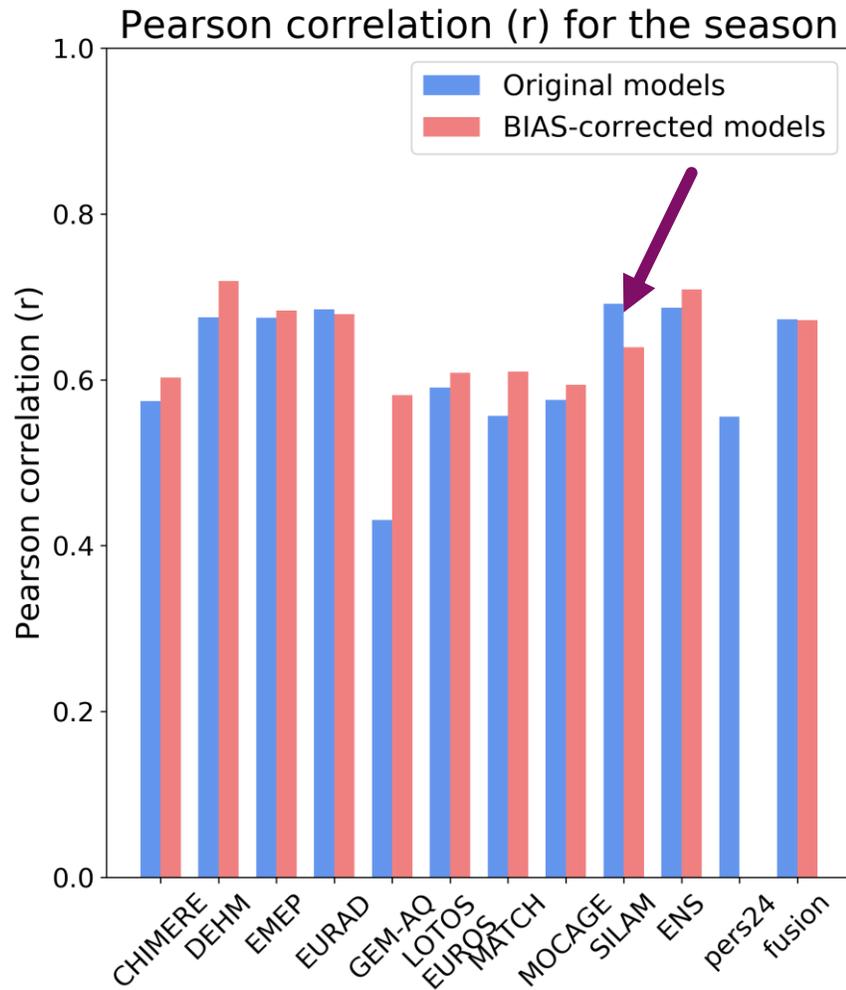
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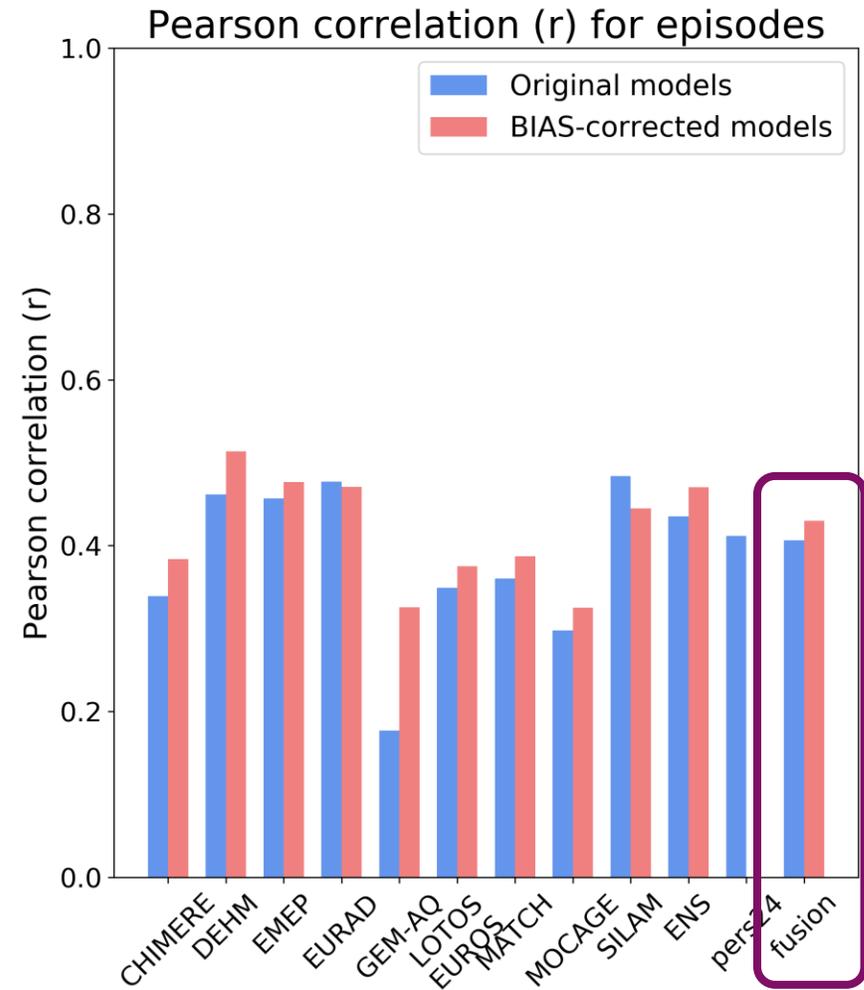
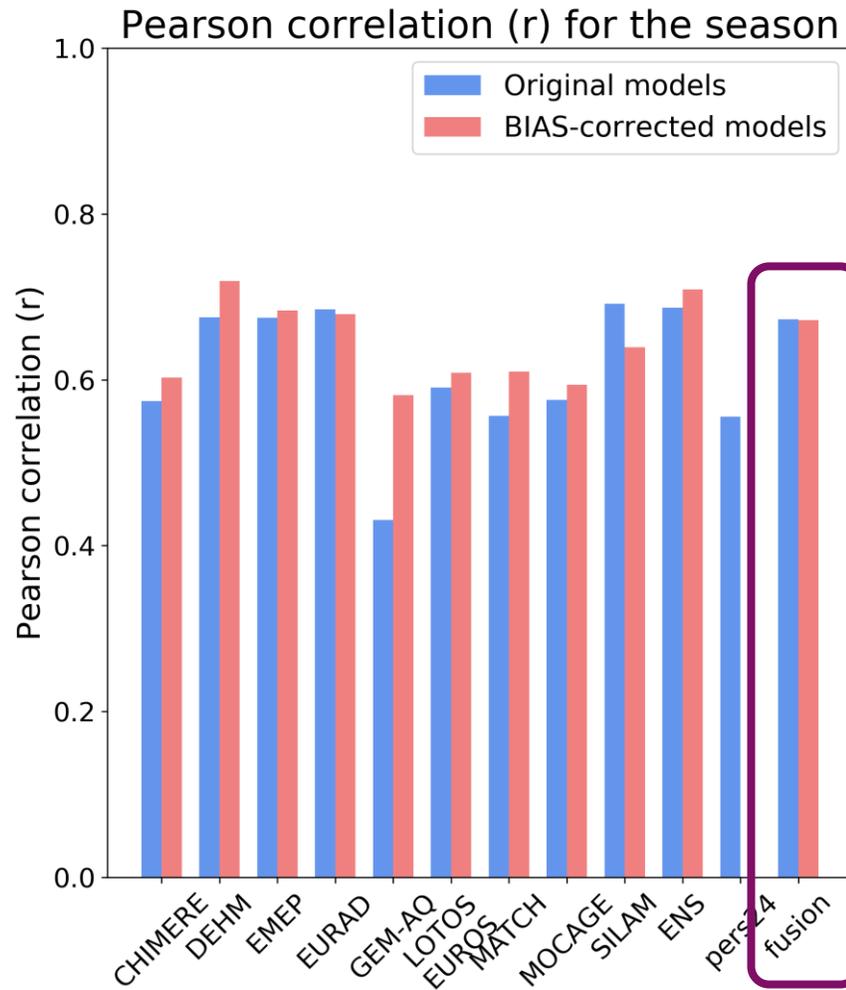
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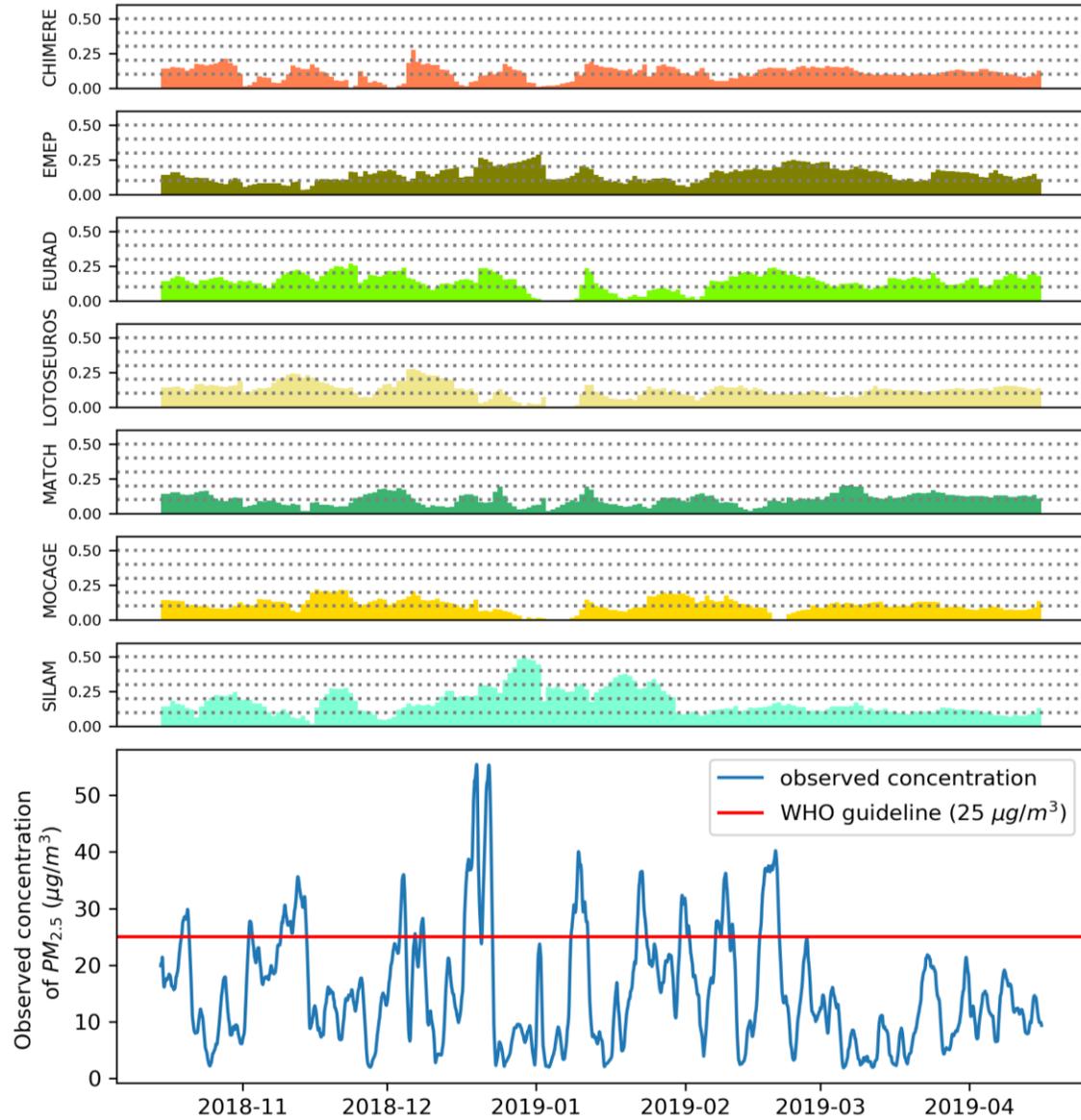
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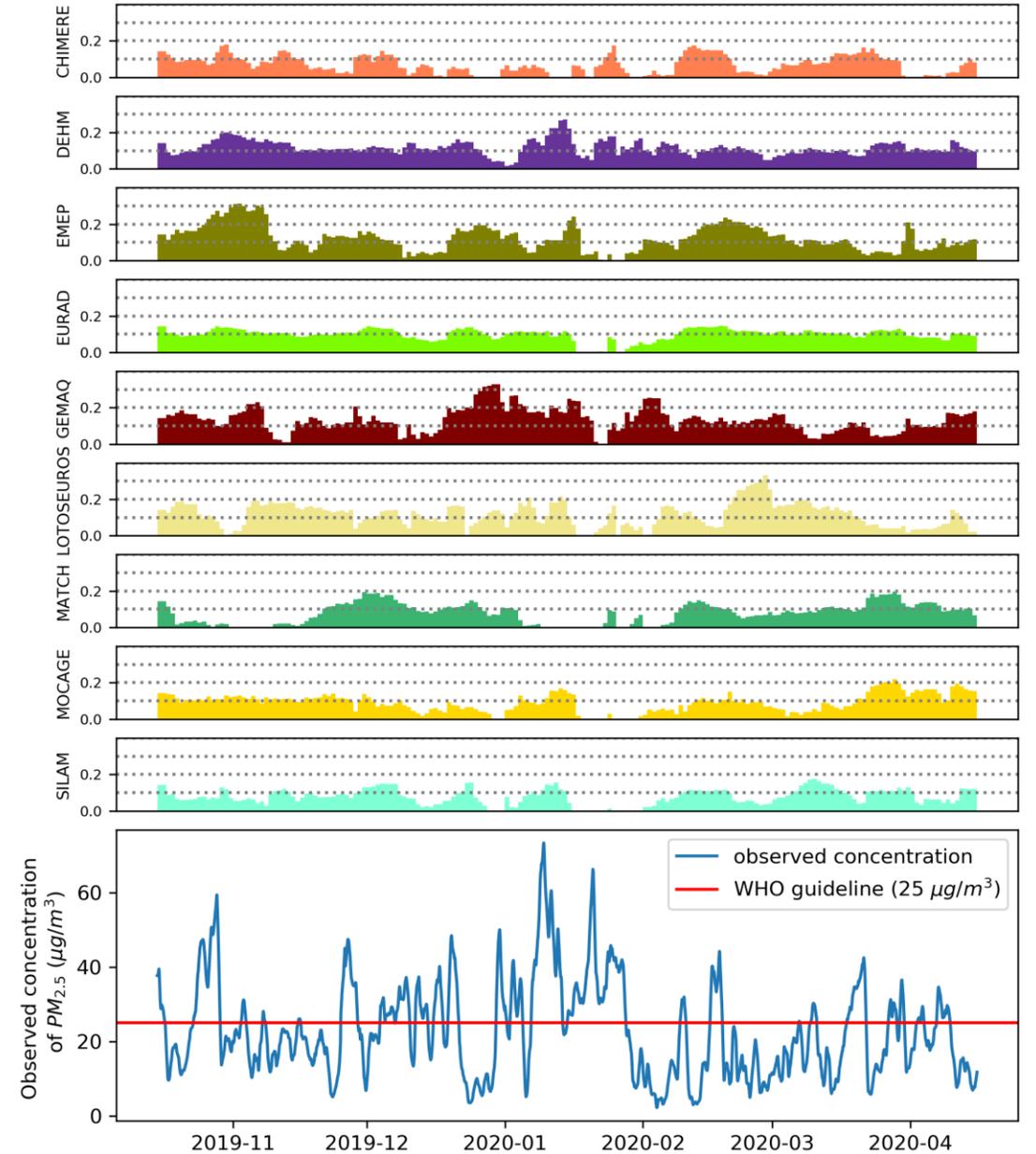
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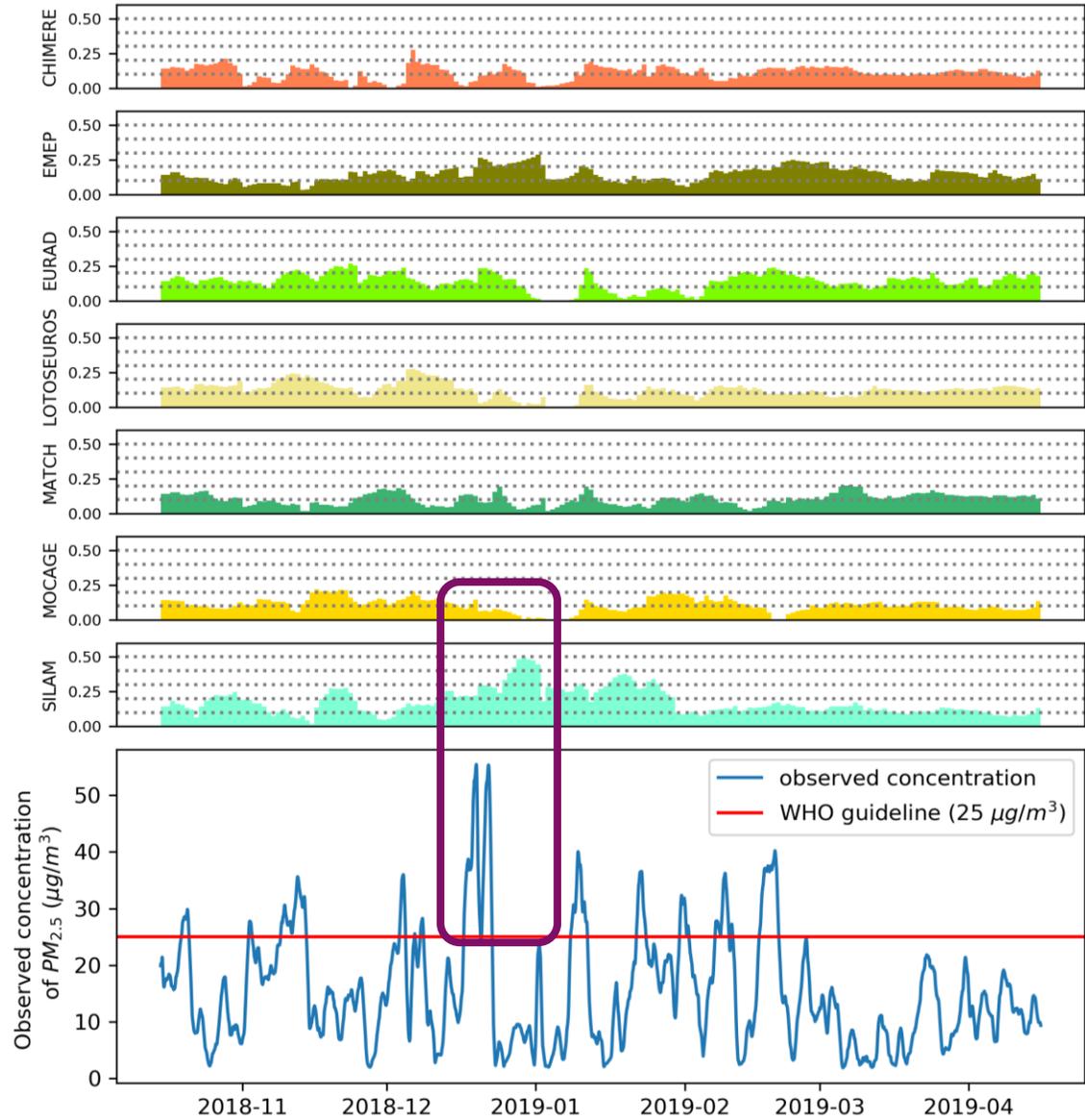
2018-2019



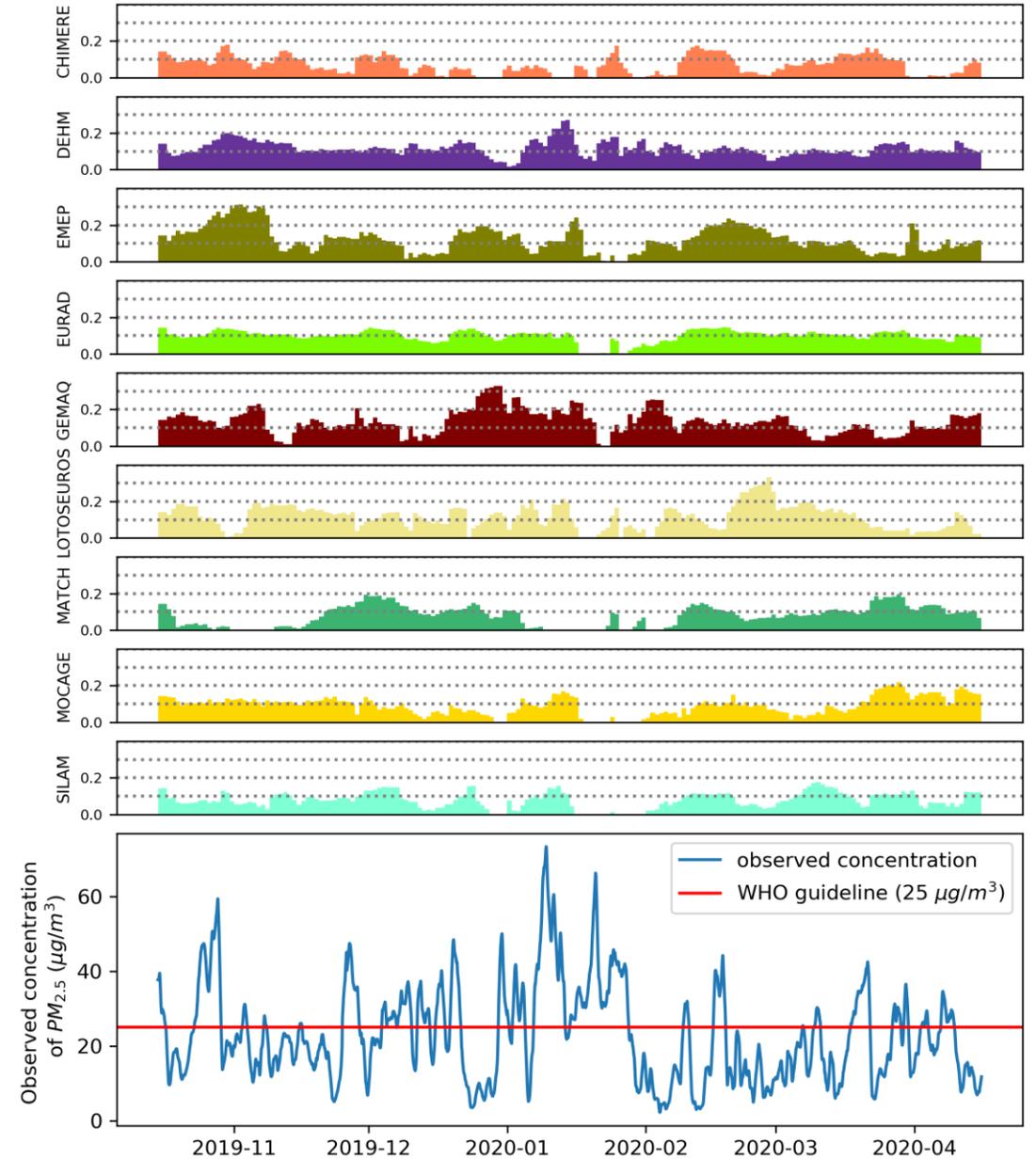
2019-2020



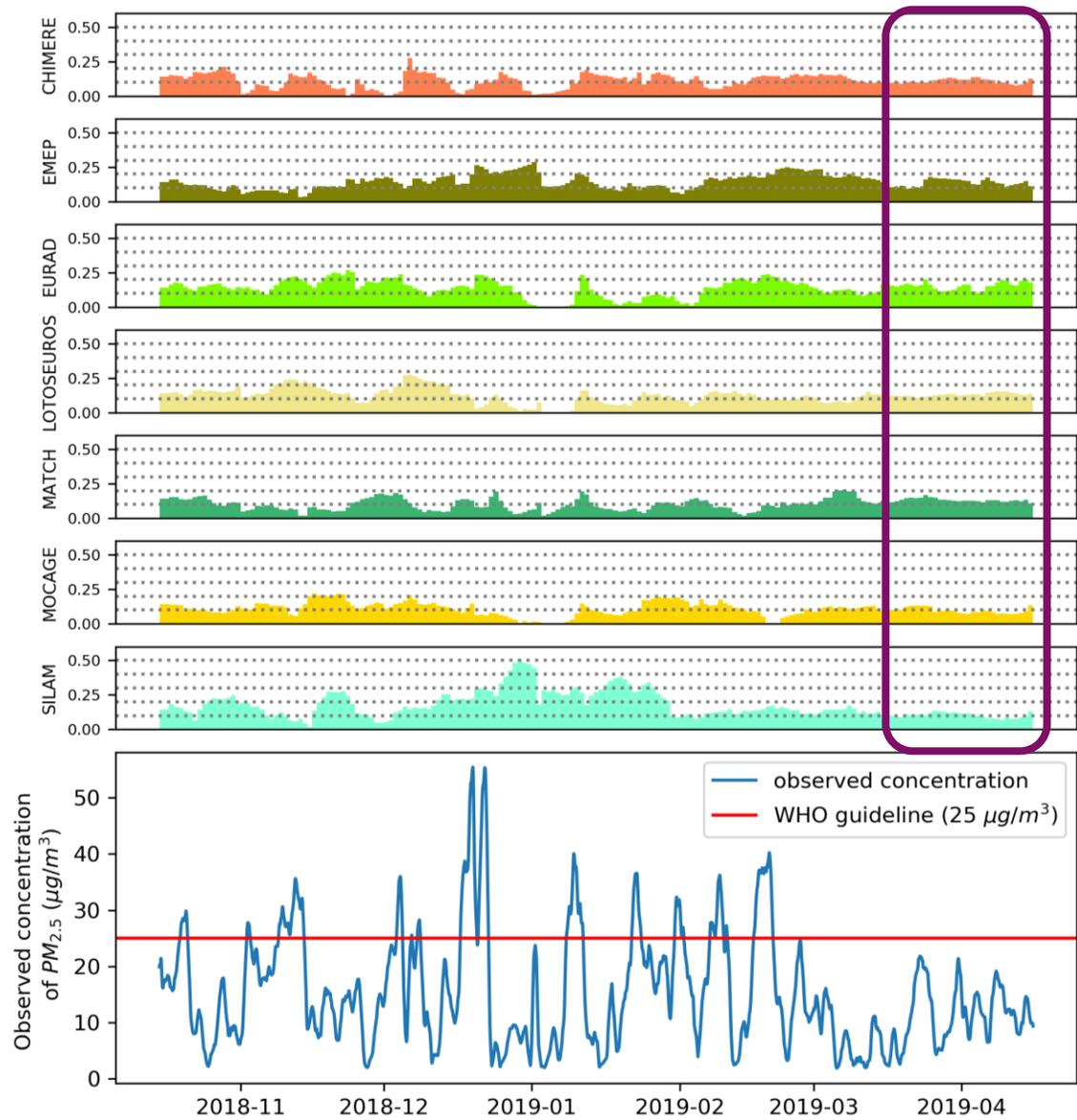
2018-2019



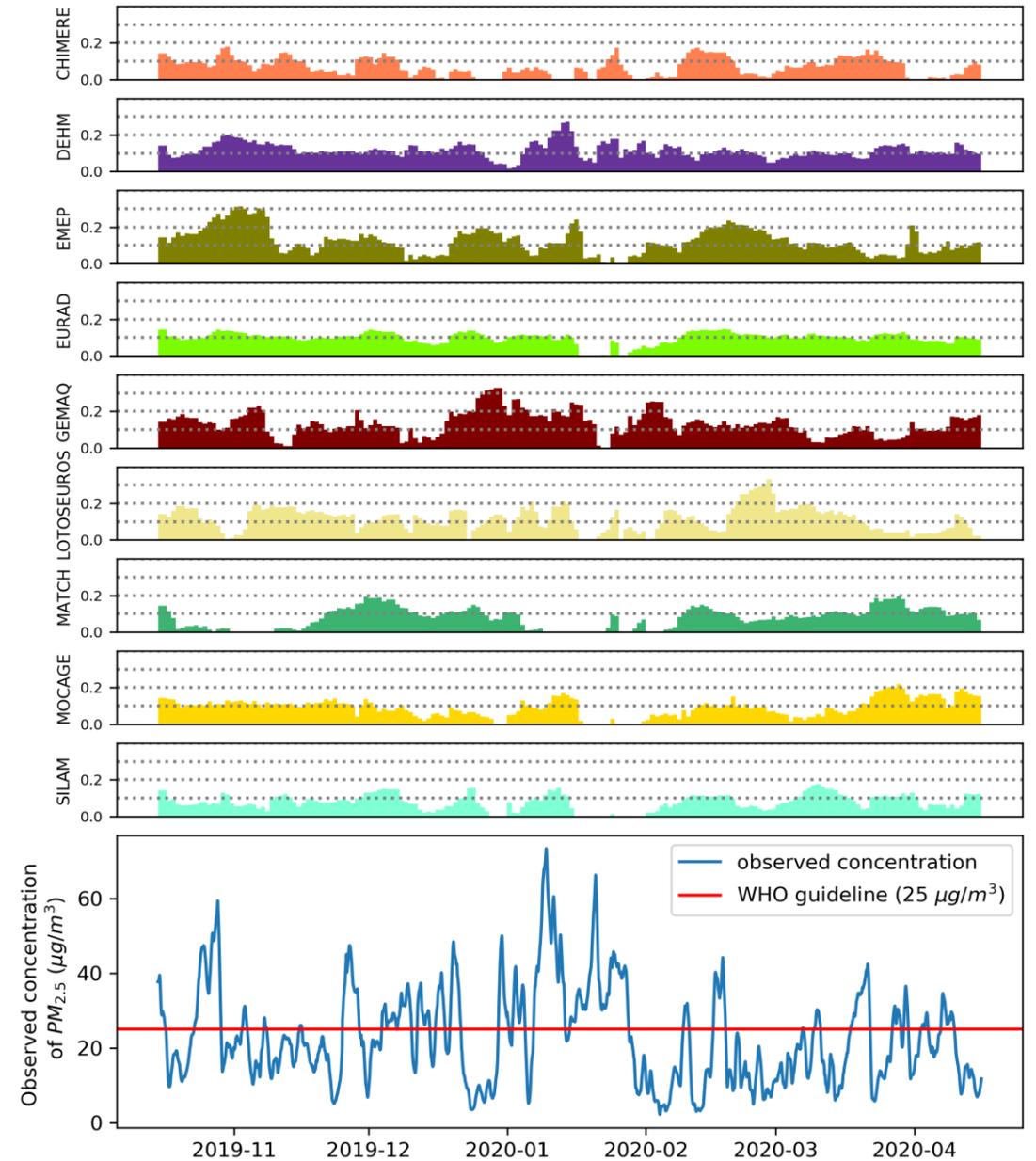
2019-2020



2018-2019



2019-2020

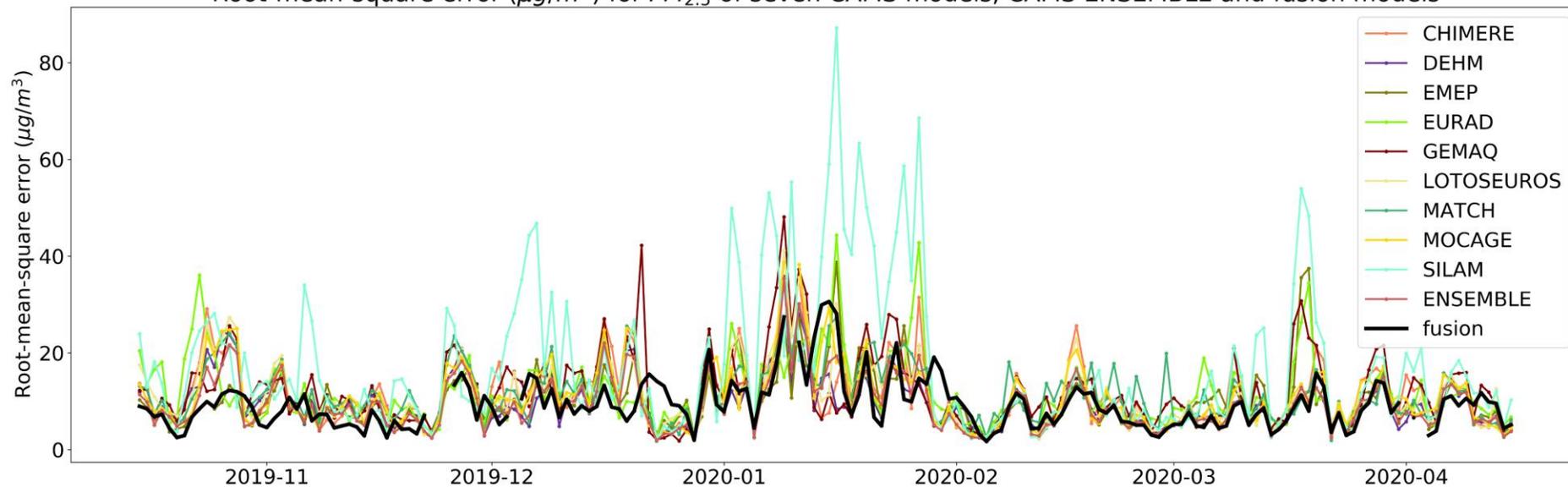


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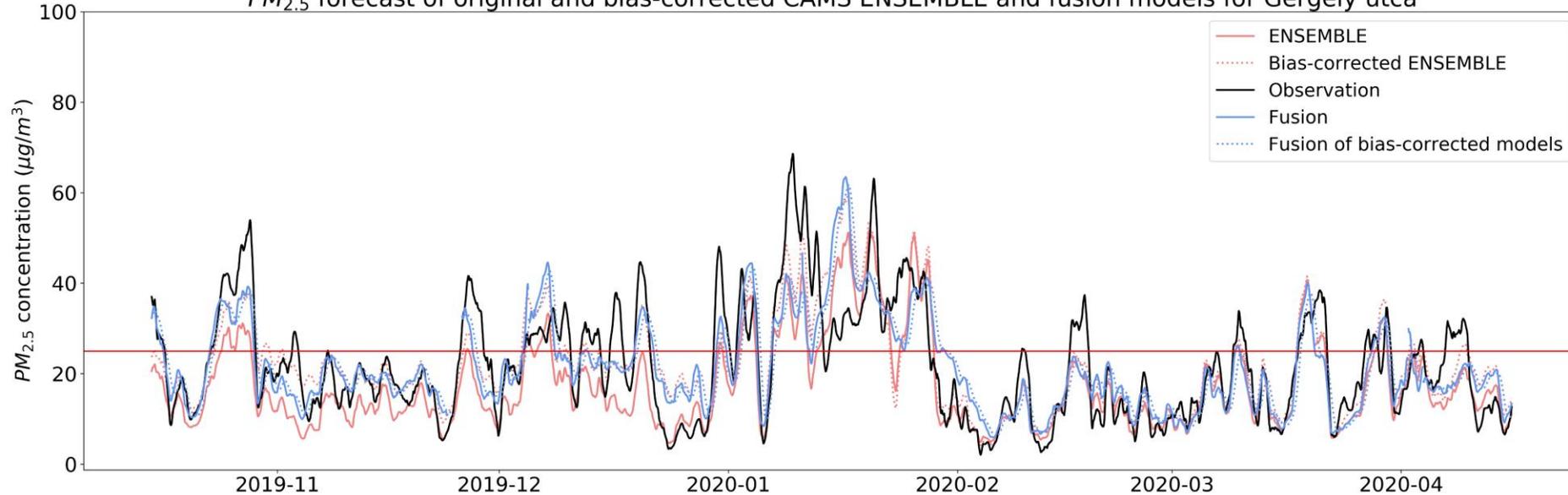
Conclusion

- The CAMS ENSEMBLE was better than individual models in terms of bias, RMSE and Pearson correlation (r).
- Bias-corrected models mostly performed better than the uncorrected models, especially ENSEMBLE forecast improved for all winters with bias-correction.
- Fusion model performs nearly as ENSEMBLE forecast, however in winter stagnation events, it performs better than CAMS and CAMS ENSEMBLE models.
- Model weights were found to be strongly weather-dependent and variable among winters with many and no stagnation events.

Root-mean-square error ($\mu\text{g}/\text{m}^3$) for $\text{PM}_{2.5}$ of seven CAMS models, CAMS ENSEMBLE and fusion models



$\text{PM}_{2.5}$ forecast of original and bias-corrected CAMS ENSEMBLE and fusion models for Gergely utca



Thank you for your attention

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